

Pipelineable On-Line Encryption with Tag (POET)

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Outline

- 1 Motivation
 - Case Study: OTN
 - Decryption Misuse
- 2 CAESAR Submission POET
- 3 Security of POET

Section 1

Motivation

Case Study: Optical Transport Network (OTN)

Task:

- *Secure network traffic . . .*

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Task:

- *Secure* network traffic ...
- ... of real-time applications ...
- ... in an Optical Transport Network (OTN)
 - High throughput (40 - 100 Gbit/s)
 - Low latency (few clock cycles)
 - Large message frames (64 KB)
(usually consist of multiple TCP/IP or UDP/IP packages)

Requirements for OTNs

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- Data privacy (IND-CPA), and
- Data integrity (INT-CTXT)

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Functional requirements:

- On-line encryption/decryption

Problem and Workarounds

Problem: High Latency of Authenticated **Decryption**

- 1 Decryption of the *entire* message
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■ Drawbacks:

- Plaintext information would leak if authentication tag invalid
- Literature calls this setting *decryption-misuse* [Fleischmann, Forler, and Lucks 12]

How Severe is Decryption-Misuse?

- Puts security at high risk
- CCA-adversary may inject controlled manipulations
- Particularly, CTR-mode based AE schemes

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$$C \oplus \Delta \rightarrow_{Dec} M \oplus \Delta$$

Decryption-misuse is *not* covered by existing CCA3-security proofs

Decryption Misuse Resistance

- Best to wish for:
 - Manipulation of ciphertext block C_i
⇒ completely random plaintext
 - Contradiction to on-line requirement

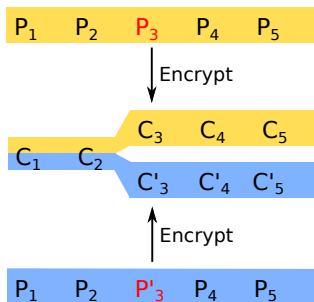
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 - Manipulation of $C_i \Rightarrow M_i, M_{i+1}, \dots$ random garbage
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 - Adversary sees at best common message prefixes
- The security notion of OPRP-CCA covers this behaviour [Bellare et al. 01]

On-Line Permutation



On-Line Pseudo Random Permutation (OPRP)

Like a PRP with the following property:

Plaintexts with common prefix \rightarrow ciphertexts with common prefix

(Bellare et al.; "Online Ciphers and the Hash-CBC Construction"; CRYPTO'01)

OPRP-CCA

Definition (OPRP-CCA Advantage)

Let P be a random on-line permutation, $\Pi = (K, E, D)$ an on-line encryption scheme, $k \stackrel{\$}{\leftarrow} K()$, and \mathcal{A} be an adversary. Then we have

$$\mathbf{Adv}_{\Pi}^{\text{OPRP-CCA}}(\mathcal{A}) = \left| \Pr \left[\mathcal{A}^{E_k(\cdot), D_k(\cdot)} \implies 1 \right] - \left[\mathcal{A}^{P(\cdot), P^{-1}(\cdot)} \implies 1 \right] \right|$$

Intermediate (Authentication) Tags

Assume an OPRP-CCA secure encryption scheme

- Recap: Modifying $C_i \implies M_i, M_{i+1}, \dots, M_M$ random garbage
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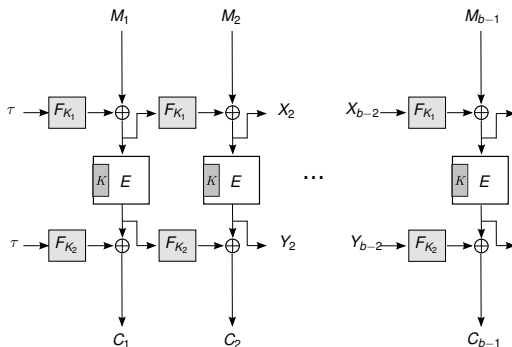
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- Redundancy in the plaintext (e.g., checksum)
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- Common network packets (TCP/IP, UDP/IP) have a checksum
 - \implies OTN: *16-bit integrity* for free (per packet)

Section 2

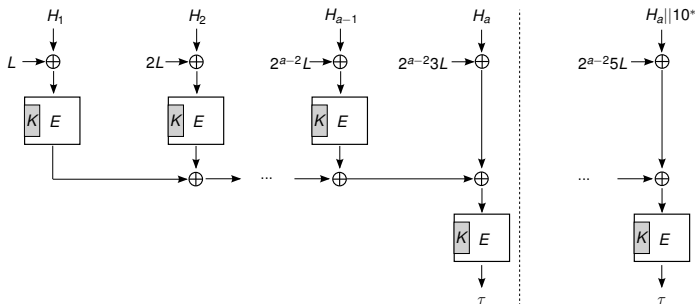
CAESAR Submission POET

Pipeline On-Line Encryption (POE)



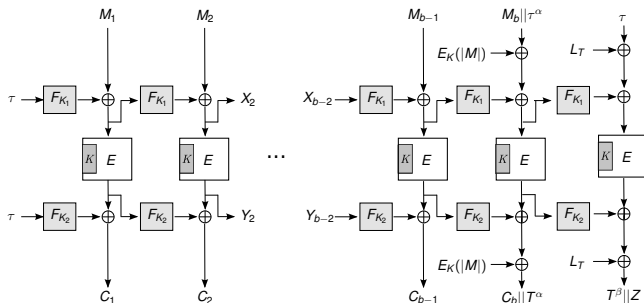
- POE is a OPRP-CCA secure enc scheme [Abed et al. 14]
- Actually, it provides birthday bound security
- POE is used to process a message or ciphertext

POET Header Processing



- We just borrowed the PMAC design [Black & Rogaway 02]
- Nonce is (part of) the header

POET



- Well pipelineable
- 1 BC + 2 AXU hash-function (F) calls per block
- Borrows tag-splitting procedure from McOE
- Robust against **nonce- and decryption-misuse**

Requirements for F

Basic Assumption (F is AXU)

$$F : \{0, 1\}^k \times \{0, 1\}^n \rightarrow \{0, 1\}^n \text{ is } \epsilon\text{-AXU}$$

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$$F_{\kappa}^b(X) := F_{\kappa}(\dots (F_{\kappa}(X_1) \oplus X_2), \dots) \oplus X_b \text{ is } b \cdot \epsilon\text{-AXU}$$

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Nandi will give you more details about this in the next talk :-)

Recommended Instantiations of F

Primary Recommendation: **4-Round-AES**

- $10 + 4 + 4 = 18$ AES rounds/block
- ϵ -AXU with $\epsilon \approx 2^{-113}$ [Daemen et al. 09]

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Withdrawn Recommendation: **GF-128 multiplication**

Reason: *Weak-Key Analysis of POET*

Abdelraheem, Bogdanov and Tischhauser applied the observations of Cid and Procter [CidP13] to POET

<https://eprint.iacr.org/2014/226>

Software Performance

- Software performance with Full-AES [Bogdanov et al. 14]
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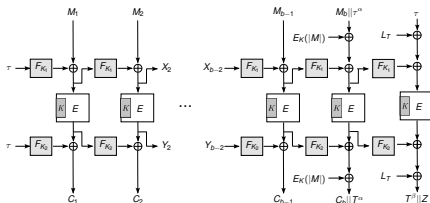
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We are looking for developers for high speed implementations
(<https://github.com/cforler/poet>)

Section 3

Security of POET

POET: Security

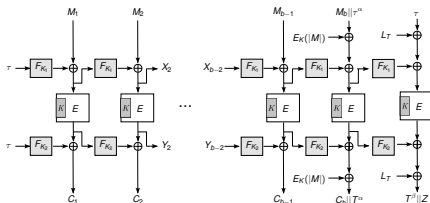


Birthday bound security

- POET is CCA3 secure against *nonce-respecting* adversaries

$$\mathbf{Adv}_{\Pi}^{\text{CCA3}}(q, \ell, t) \leq \mathbf{Adv}_{\Pi}^{\text{IND-CPA}}(q, \ell, t') + \mathbf{Adv}_{\Pi}^{\text{INT-CTXT}}(q, \ell, t'') \quad (*)$$

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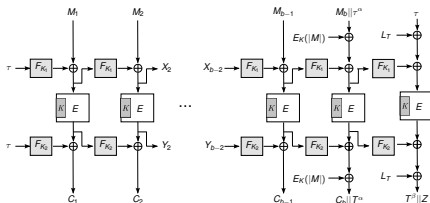


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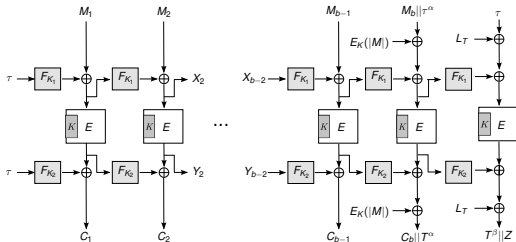
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- POET is OCCA3 secure against *nonce-ignoring* adversaries

$$\mathbf{Adv}_{\Pi}^{\text{OCCA3}}(q, \ell, t) \leq \mathbf{Adv}_{\Pi}^{\text{OPRP-CCA}}(q, \ell, t') + \mathbf{Adv}_{\Pi}^{\text{INT-CTXT}}(q, \ell, t'') \quad (*)$$

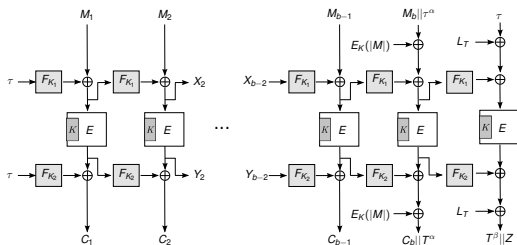
$$(*) t', t'' \in O(t)$$

POET: OPRP-CCA-Security



- \mathcal{A} instantly wins if a **bad event** occurs

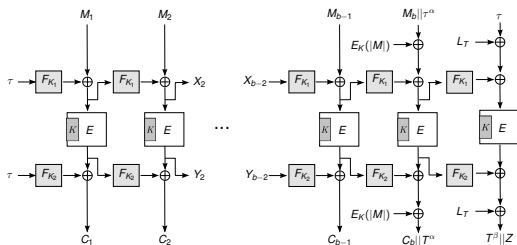
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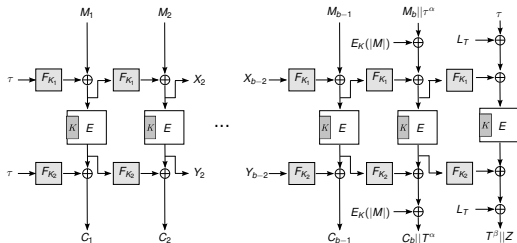
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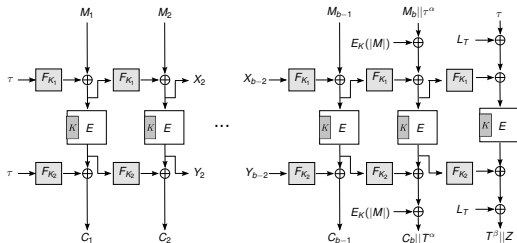
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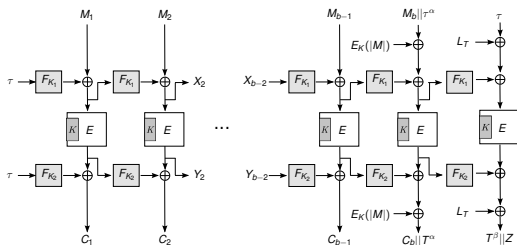
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 2. Header collision ($\Pr[\text{COLL}^{ad}]$)
 3. Top row collision ($\Pr[\text{COLL}^{top}]$)
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- \mathcal{A} can distinguish POET without a collision ($\Pr[\text{NOCOLL}]$)

POET: OPRP-CCA-Security

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$$\mathbf{Adv}_{\Pi}^{\text{OPRP-CCA}}(q, \ell, t) \leq 4\ell^2\epsilon + \frac{9\ell^2}{2^n - 3\ell} + \mathbf{Adv}_{E, E^{-1}}^{\text{IND-SPRP}}(\ell + 2q, O(t))$$

POET: INT-CTXT-Security

- INT-CTXT proof is game-based
- Combines the ideas from its OPRP-CCA proof and the INT-CTXT proof from McOE
- Details (→ CAESAR submission)

INT-CTXT Advantage

$$\mathbf{Adv}_{\text{POET}}^{\text{INT-CTXT}}(q, \ell, t) \leq (\ell + 2q)^2 / 2^n + \frac{q}{2^n - q} + \mathbf{Adv}_{\Pi}^{\text{OPRP-CCA}}(q, \ell, t)$$

Restated Security Claims

	Bits of Security
Confidentiality for the plaintext	$\log_2(2^{128} - c \cdot \epsilon \cdot \ell^2)$
Integrity for the plaintext	$\log_2(2^{128} - c \cdot \epsilon \cdot \ell^2)$
Integrity for the associated data	$\log_2(2^{128} - c \cdot \epsilon \cdot \ell^2)$
Integrity for the public message number	$\log_2(2^{128} - c \cdot \epsilon \cdot \ell^2)$
Security against key recovery	128
Security against tag guessing	128

Yu Sasaki pointed out that *our stated security claims had been confusing*

Conclusion

POET

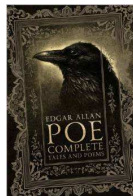
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- support for intermediate tags
- is robust against nonce- and decryption-misuse (OCCA3-secure = OPRP-CCA + INT-CTXT)
- fulfills the demanding requirements of high-speed networks

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Final Remark: Cryptanalysis, fruitful remarks and third party implementation etc. will be rewarded!



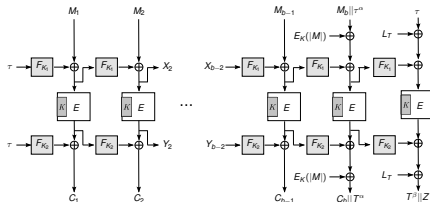
The End

Thank you for your attention!

POET Homepage

<http://www.uni-weimar.de/de/medien/professuren/mediensicherheit/research/poet/>

Key Derivation



- POET needs five 128-bit keys: K , K_1 , and K_2 , L , and L_T
- They are derived from a 128 bit master key SK

$$\begin{aligned}
 K &= E_{SK}(0), & L &= E_{SK}(1) \\
 K_1 &= E_{SK}(2) & K_2 &= E_{SK}(3), \\
 L_T &= E_{SK}(4)
 \end{aligned}$$

(currently I am analysing the case: $K_1 = K_2$ and $L_T = 7L$)